

Von: Genomorientierte Bioinformatik <bioinformatik@wzw.tum.de>  
Betreff: **[Kolloq-announce] Reminder - Biocolloquium tomorrow at 6 pm!**  
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## Reminder - Biocolloquium tomorrow at 6 pm!

We would like to invite you to our next Bioinformatics and Systems Biology Colloquium on **Wednesday, November 24 th, 2010 at 6:00 pm.**

Our speaker will be

**Prof. Dr. Hannes Leitgeb,**  
**Ludwig-Maximilians-Universität, Munich Center for Mathematical Philosophy**

### Reducing Belief Simpliciter to Degrees of Belief

*Probability*

There are two kinds of belief: belief simpliciter - believing that A is the case - and degrees of belief - assigning subjective probabilities to propositions. We prove that given reasonable assumptions, it is possible to give an explicit definition of belief simpliciter in terms of subjective probability, such that it is neither the case that belief is stripped of any of its usual logical properties, nor is it the case that believed propositions are bound to have probability 1. Belief simpliciter is not to be eliminated in favour of degrees of belief, rather, by reducing it to assignments of consistently high degrees of belief, both quantitative and qualitative belief turn out to be governed by one unified theory. Turning to possible applications and extensions of the theory, we suggest that this will allow us to see: how the Bayesian approach in general philosophy of science can be reconciled with the deductive or semantic conception of scientific theories and theory change; how primitive conditional probability functions (Popper functions) arise from conditionalizing absolute probability measures on maximally strong believed propositions with respect to different cautiousness thresholds; how the assertability of conditionals can become an all-or-nothing affair in the face of non-trivial subjective conditional probabilities; and how high conditional chances may become the truthmakers of counterfactuals.

**Wednesday, November 24th, 2010, 6pm**

**Richard-Wagner-Str. 10, HS102**

We would be very pleased if we could welcome you.

Best regards

H.W. Mewes  
TUM Wissenschaftszentrum Weihenstephan  
Lehrstuhl für Genomorientierte Bioinformatik

IBI  
Institute of Bioinformatics and Systems Biology  
Helmholtz Zentrum München  
Deutsches Forschungszentrum für  
Gesundheit und Umwelt

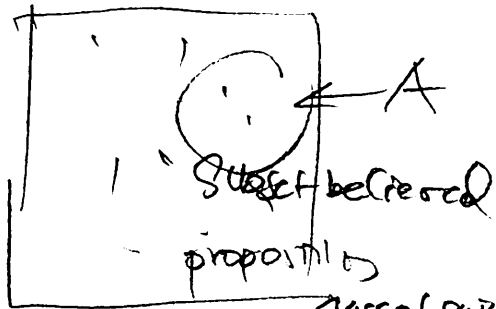
RECESS  
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Mind Center of Mathematical Philosophy  
 How to get the qualitative from the quantitative  
 Different standards of normality - belief supcrater  
 and in a quantitative one - degrees of belief  
 Charny - Bayesian - need only quantitative  
 something quantitative belief is supposed to be eliminable  
 Even scientists do seem to believe in the truth of some  
 propositions (which rules out X is believed iff  $P(X)=1$   
 assigning probability) ①

If they believe 2 hypotheses A and B to be true,  
 $A \wedge B$  does seem believable to be true for them,  
 Belief valuable that it occupies a more economic space

- ⊗ Postulates of Quant/Qual Belief
- ⊗ Representation Theorem
- ⊗ Applications + Extensions of Hilpinen 1968



class of pairs of propositions

$P_1: \mathcal{X} \rightarrow [0,1]$  is probability measure

$$P(Y|X) = \frac{P(X \wedge Y)}{P(X)} \text{ where } P(X) > 0$$

$P(Y|X)$  is the degree of belief in Y under supposition of X

$P_2$  (countable additivity) if  $X_1, X_2, X_3, \dots$  are pairwise disjoint members

Bel expresses an agent's conditional belief

B1 (Reflexivity) If  $\neg Bel(\neg X|W)$ , then  $Bel X|X$

B2 (premise logical closure)

B3 (finite conjunction)

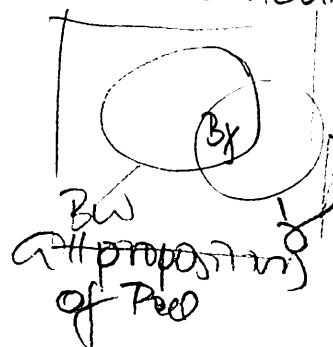
B4 (general conjunction)

B5 (consistency)

B6 (Expansion)

B7 (Likelihood)

Theory of belief revision  
 Gärdenfors 1988



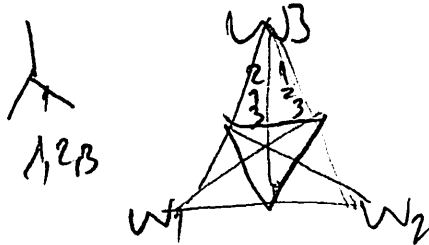
Representation theorem

class of P stable sets  $X$  in  $\mathcal{X}$  is well ordered

Finally, we postulate  
 BP3 (Maximality) - the class  $\mathcal{B}_c$  is the largest among  
 all  $\mathcal{B}_c$

one can prove that a similar result holds even when  
 all postulates are generalized to suppositions that may contra-  
 dict an agent's current beliefs.

E.g.  $P$  determines a splicing system of worlds!



And almost all  $P$  over finite  $\mathcal{W}$   
 have at least  $P$ -stable  
 set  $X_{\text{least}}$  with  $P(X_{\text{least}}) < 1$

### Applications

#### Lottery Paradox

all state descriptions have a low probability. So the overall  
 probability that any will win is high.

#### Preface Paradox

what one can have is a different version of fallibilism.

#### Conditionalization

John Dorring's Puhemian example

Pursuing future topic in these areas - a unification of  
 logical and probabilistic accounts of reasoning - unifying  
 the qualitative and the quantitative,